#### DC DRIVES

- DC DRIVES: Electric drives that use DC motors as the prime movers
- DC motor: industry workhorse for decades
- Dominates variable speed applications <u>before</u> PE converters were introduced
- Will AC drive replaces DC drive ?
  - Predicted 30 years ago
  - DC strong presence easy control huge numbers
  - AC will eventually replace DC at a slow rate

### **DC Motors**

 Advantage: simple torque and speed control without sophisticated electronics

- Limitations:
  - Regular Maintenance
  - Heavy motor

- Expensive motor
- Sparking

# **General Torque Equation**

Translational (linear) motion:

$$F = M \frac{dv}{dt}$$

F: Force (Nm)

M: Mass (Kg)

v : velocity (m/s)

**Rotational motion:** 

$$T = J \frac{d\omega}{dt}$$

T: Torque (Nm)

J: Moment of Inertia (Kgm<sup>2</sup>)

 $\omega$ : angular velocity (rad/s)

# Torque Equation: Motor drives

$$T_e = T_L + J \frac{d\omega}{dt}$$
 or  $T_e - T_L = J \frac{d\omega}{dt}$ 

Te: motor torque (Nm)  $T_L$ : Load torque (Nm)

$$T_e - T_L > 0$$
 Acceleration

$$T_{e} - T_{L} < 0$$
 Deceleration

$$T_{e} - T_{I} = 0$$
 Constant speed

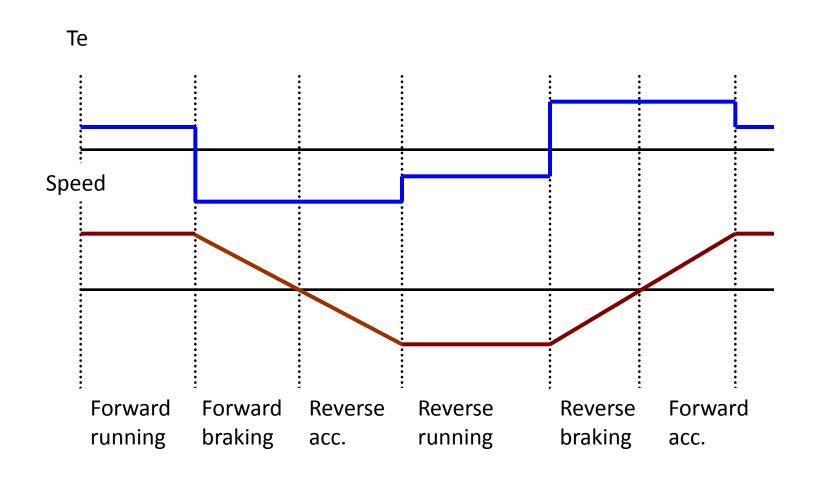
### ...continue

Drive accelerates or decelerates depending on whether Te is greater or less than  $T_L$ 

During acceleration, motor must supply not only the load torque but also dynamic torque, (  $Jd\omega/dt$  ).

During deceleration, the dynamic torque, ( $Jd\omega/dt$ ), has a negative sign. Therefore, it assists the motor torque, Te.

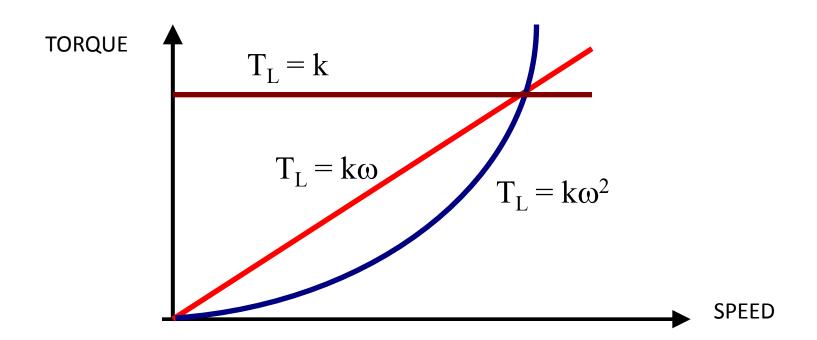
## Torque Equation: Graphical



## **Load Torque**

Load torque,  $T_L$ , is complex, depending on applications.

In general:



## DC MOTOR DRIVES

Principle of operation

Torque-speed characteristic

Methods of speed control

Armature voltage control

Variable voltage source

Phase-controlled Rectifier

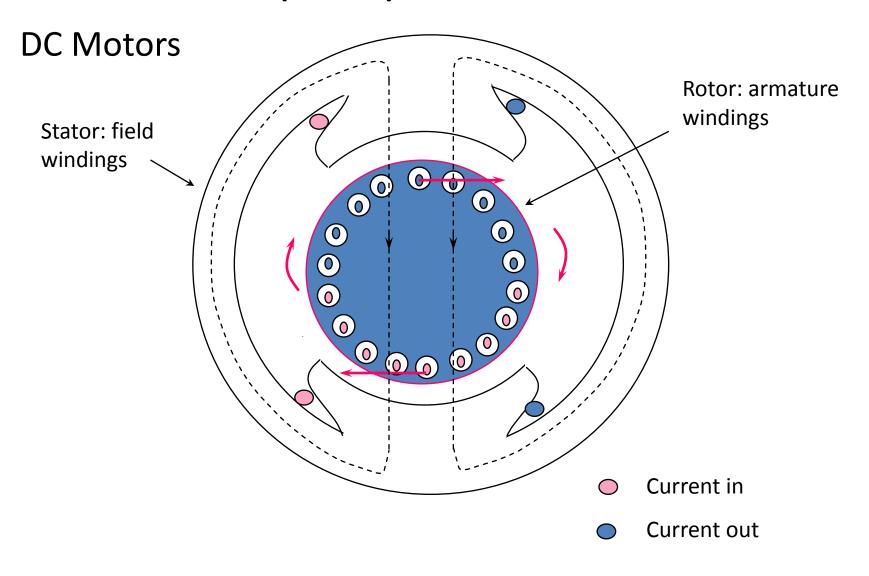
Switch-mode converter (Chopper)

1Q-Converter

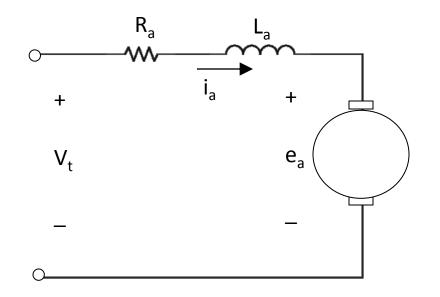
2Q-Converter

4Q-Converter

## **Principle of Operation**



#### **Equivalent circuit of DC motor**



$$\begin{array}{c|c} & R_f \\ \hline & & \\ & i_f \\ & &$$

$$v_{t} = R_{a}i_{a} + L\frac{di_{a}}{dt} + e_{a}$$

$$v_f = R_f i_f + L \frac{di_f}{dt}$$

$$Te = k_t \phi i_a$$

Electromagnetic torque

$$e_a = k_E \phi \omega$$

Armature back e.m.f.