Ferrous metals: carbon-, alloy-, stainless-, tool-and-die steels

Non-ferrous metals: aluminum, magnesium, copper, nickel, titanium, superalloys, refractory metals, beryllium, zirconium, low-melting alloys, gold, silver, platinum, ...

Plastics: thermoplastics (acrylic, nylon, polyethylene, ABS,...) thermosets (epoxies, Polymides, Phenolics, ...) elastomers (rubbers, silicones, polyurethanes, ...)

Ceramics, Glasses, Graphite, Diamond, Cubic Boron Nitride

Composites: reinforced plastics, metal-, ceramic matrix composites

Nanomaterials, shape-memory alloys, superconductors, ...

Mechanical properties of materials

Strength, Toughness, Hardness, Ductility, Elasticity, Fatigue and Creep

Physical properties

Density, Specific heat, Melting and boiling point, Thermal expansion and conductivity, Electrical and magnetic properties

Chemical properties

Oxidation, Corrosion, Flammability, Toxicity, ...

Mechanical properties: Stress analysis

stress = σ = Force/Area

Why do we need stress/strain (not just force, elongation)?







Tensile, compressive and shear stresses

Stresses in an infinitesimal element of a beam

Stress Analysis: Principal directions in 2D case



$$\sigma = \frac{\sigma_x + \sigma_y}{2} + \frac{\sigma_x - \sigma_y}{2} \cos 2\phi + \tau_{xy} \sin 2\phi$$

$$\frac{d\sigma}{d\phi} = 0 \implies \tan 2\phi = \frac{2\tau_{xy}}{\sigma_x - \sigma_y}$$

- principal directions are orthogonal to each other

- 0 shear stress along PDs

Stress Analysis: Principal shear stress in 2D case



$$\tau = \frac{\sigma_y - \sigma_x}{2} \sin 2\phi + \tau_{xy} \cos 2\phi$$

$$\frac{d\tau}{d\phi} = 0 \implies \tan 2\phi = \frac{\sigma_x - \sigma_y}{2\tau_{xy}}$$

Failure in Tension, Young's modulus and Tensile strength



Engineering stress = $\sigma = P/A_{o}$

Engineering strain = $e = (L - L_o)/L_o = \delta/L_o$

Failure in Tension, Young's modulus and Tensile strength..



Failure in Tension, Young's modulus and Tensile strength...



In the linear elastic range: *Hooke's law*: $\sigma = E e$ or, $E = \sigma/e$

E: Young's modulus

Elastic recovery after plastic deformation



Engg stress and strain are "gross" measures:

 $\sigma = F/A \Longrightarrow \sigma$ is the average stress \neq local stress

 $e = \delta/L_o \Longrightarrow e$ is average strain



Final

Necking

Fracture

Measures how much the material can be stretched before fracture

Ductility =
$$100 \text{ x} (L_f - L_o)/L_o$$

High ductility: platinum, steel, copper Good ductility: aluminum Low ductility (brittle): chalk, glass, graphite

- Walkman headphone wires: Al or Cu?

Hardness

resistance to plastic deformation by indentation

Shape of indentation						
Test	Indenter	Side view	Top view	Load, P	Hardness number	
Brinell	10-mm steel or tungsten carbide ball		O → d ←	500 kg 1500 kg 3000 kg	$HB = \frac{2P}{(\pi D)(D - \sqrt{D^2 - d^2})}$	
Vickers	Diamond pyramid		LX XX	1–120 kg	$HV = \frac{1.854P}{L^2}$	
Knoop	– Diamond pyramid	L/b = 7.11 b/t = 4.00		25 g–5 kg	$HK = \frac{14.2P}{L^2}$	
A C D	Diamond cone	120° + t = mm	0	60 kg 150 kg 100 kg	HRA HRC HRD $ = 100 - 500t $	
B F G	$\frac{1}{16}$ - in. diameter steel ball	$\underbrace{\bullet}_{t = mm}$	0	100 kg 60 kg 150 kg	HRB HRF HRG $ = 130 - 500t $	
E	$\frac{1}{8}$ - in. diameter steel ball			100 kg	HRE	

Shear stress and Strain: the torsion test



Angle of twist: $\theta = TL/GJ$ Shear stress: $\tau = Tr/J$ Maximum shear stress $= \tau_{max} = TR/J$ Shear strain $= \gamma = r\theta/L$

 $\tau = \mathbf{G} \gamma$

T = torque, J = polar moment of inertia $J = \int r^2 dA$ Cylindrical shell: $J = \pi (D^4 - d^4)/32$

G: Modulus of rigidity

[approximate relation between shear and tensile strengths]

Ultimate Tensile Strength = S_u Ultimate Shear Strength = S_{su} Tensile Yield Strength = S_{vp} Shear yield point = S_{syp}

Material	Tensile-Relation	Yield-Relation
Wrought Steel & alloy steel	S _{su} ≈ 0.75 x S _u	S_{syp} = Approx 0,58 x S_{yp}
Ductile Iron	S _{su} ≈ 0.90 x S _u	S _{syp} = Approx 0,75 x S _{yp}
Cast Iron	S _{su} ≈1.3 x S _u	-
Copper & alloys	S _{su} ≈[0.6-0.9] x S _u	-
Aluminum & alloys	S _{su} ≈ 0.65 xS _u	S _{syp} = Approx 0,55 x S _{yp}

References: Machine design Theory and Practice .A.D.Deutschman, W.A Michels & C.E. Wilson.. MacMillan Publishing 1975.

Fracture/failure of a material subjected cyclic stresses



S-N curve for compressive loading

Failure under impact

Application: Drop forging

Testing for Impact Strength



- Metals microstructure: crystal-grains
- Under plastic strain, grains slipping along boundaries
- Locking up of grains => increase in strength
- We can see this in the true-stress-strain curve also

Applications:

- Cold rolling, forging: part is stronger than casting

Residual stresses

Internal stresses remaining in material after it is processed

Causes:

- Forging, drawing, ...: removal of external forces
- Casting: varying rate of solidification, thermal contraction

Problem: warping when machined, creep



Releasing residual stresses: annealing

Property	Application (e.g.)	
Density, $\rho = mass/volume$	Drop forging, hammering	
Specific heat	Coolant in machining	
Thermal conductivity	Cutting titanium	
Coeff of linear thermal expansion, $\alpha = \Delta L/(L \Delta T)$	Compensation in Casting,	
Melting point	Brazing, Casting,	
Electrical conductivity	EDM, ECM, Plating	
Magnetic properties	Magnetic chucking	

. . .

Materials have different physical, chemical, electrical properties

Knowledge of materials' properties is required to

Select appropriate material for design requirement Select appropriate manufacturing process Optimize processing conditions for economic manufacturing