



# **ELECTRONICS DEVICES AND CIRCUITS**

OBJECTIVE

**THERMAL  
CONDUCTIVITY AND  
WIEDMANN FRANZ  
LAW,**

## ❖ Carrier Diffusion

➤ Diffusion current is due to the movement of the carriers from high concentration region towards to low concentration region. As the carriers diffuse, a diffusion current flows. The force behind the diffusion current is the ***random thermal motion of carriers***.

$$\frac{dn}{dx} = \frac{1}{kT} \cdot \frac{dP}{dx}$$

➤ A concentration gradient produces a pressure gradient which produces the force on the charge carriers causing to move them.

How can we produce a concentration gradient in a semiconductor?

- 1) By making a semiconductor or metal contact.
- 2) By illuminating a portion of the semiconductor with light.

## Illuminating a portion of the semiconductor with light

- ❖ By means of illumination, **electron-hole pairs** can be produced when **the photon energy**  $> E_g$ .
- ❖ So the increased number of **electron-hole pairs** move towards to the lower concentration region until they reach to their equilibrium values. So there is a number of charge carriers crossing per unit area per unit time, which is called as flux. Flux is proportional to the concentration gradient,  **$dn/dx$** .

$$Flux = -D_n \frac{dn}{dx}$$

## Thermal conductivity of metals

- The thermal conductivity is given by:

Power per unit area transported  $\frac{\Delta Q}{\Delta t A}$  equals Thermal conductivity  $\kappa$  times Temperature gradient  $\frac{\Delta T}{\Delta x}$ .

Thermal conductivity  $\kappa = \frac{n(v) \lambda c_v}{3N_A}$  where  $n(v)$  is Particles per unit volume,  $\lambda$  is Mean free path,  $c_v$  is Molar heat capacity, and  $3N_A$  is Avogadro's number.

$\kappa = \frac{1}{3} cv\ell$

- For the case of the Fermi gas:  $C_{el} = \frac{1}{2} \pi^2 N_e k_B \cdot \frac{T}{T_F}$  ;  $v = v_F$

$$\Rightarrow \kappa = \frac{\pi^2}{3} \cdot \frac{n_e k_B^2 T}{m v_F^2} \cdot v_F \cdot \ell = \frac{\pi^2 n_e k_B^2 T \tau}{3m}$$

- Wiedemann-Franz's law

$$\frac{\kappa}{\sigma} = \frac{\pi^2 n_e k_B^2 T \tau / 3m}{n_e e^2 \tau / m} = \frac{\pi^2}{3} \left( \frac{k_B}{e} \right)^2 T$$