



# **ELECTRONICS DEVICES AND CIRCUITS**

## **SECTION - B**

### **Semiconductors, Construction & Characteristics of Devices**

OBJECTIVE

# **DRIFT AND DIFFUSION CURRENTS**

## ❖ Drift and Diffusion

- Now, we have some idea of the number density of charge carriers (electrons and holes) present in a semiconductor material from the work we covered in the last chapter.
- Since **current is the rate of flow of charge**, we shall be able calculate currents flowing in real devices since we know the number of charge carriers.
- There are **two current mechanisms** which **cause charges to move in** semiconductors. The two mechanisms we shall study in this chapter are ***drift and diffusion***.

## ❖ Carrier Drift

- Electron and holes will move under the influence of an applied electric field since the field exert a force on charge carriers (electrons and holes).

$$F = qE$$

- These movements result a current of  $I_d$ ;

$$I_d = nqV_d A$$

$I_d$  : drift current

$n$  : number of charge carriers per unit volume

$V_d$  : drift velocity of charge carrier

$q$  : charge of the electron

$A$  : area of the semiconductor

## ❖ Carrier Mobility , $\mu$

$$V_d = \mu E$$

$E$  : applied field

$\mu$  : mobility of charge carrier

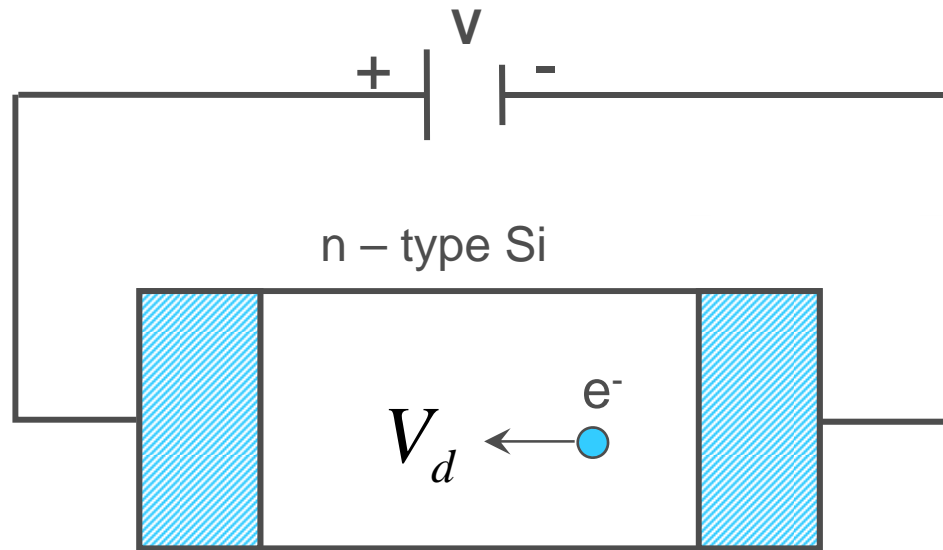
$$[\mu] = \left[ \frac{cm^2}{V-Sec} \right]$$

$\mu$  is a proportionality factor

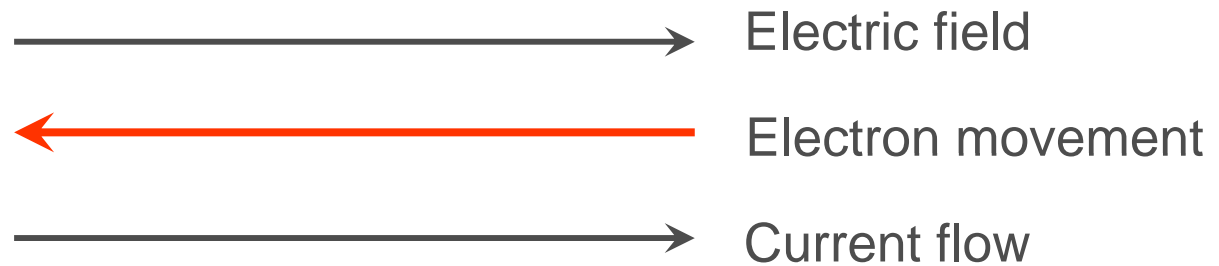
$$\mu = \left[ \frac{V_d}{E} \right]$$

- ❖ So  $\mu$  is a measure how easily charge carriers move under the influence of an applied field or  $\mu$  determines how mobile the charge carriers are.

## ❖ n - type Si

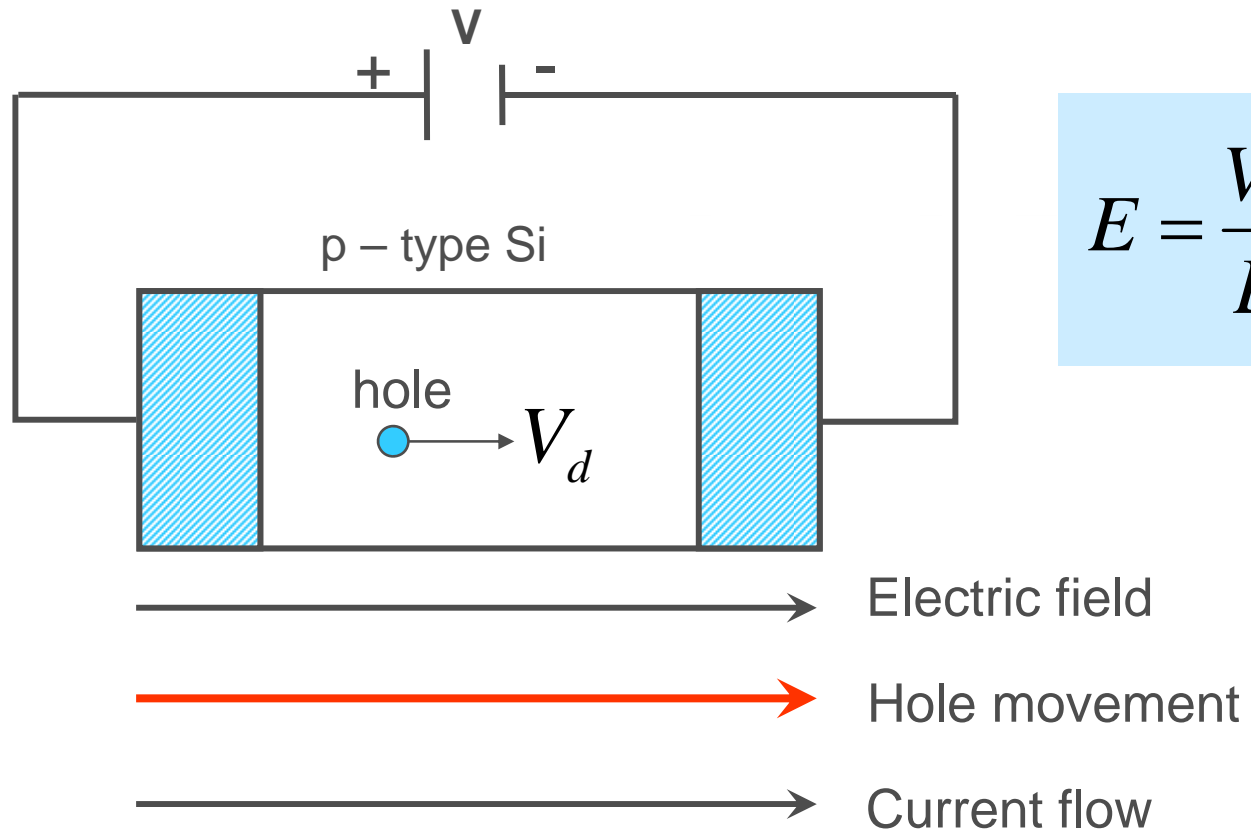


$$E = \frac{V}{L}$$



Current carriers are mostly electrons.

## ❖ p - type Si



$$E = \frac{V}{L}$$

Current carriers are mostly holes.

# ❖ Carrier Mobility

Macroscopic understanding

$$\mu = \frac{V_d}{E}$$

In a perfect Crystal

$$\rho = 0$$

$$\sigma \rightarrow \infty$$

It is a superconductor

Microscopic understanding? (what the carriers themselves are doing?)

$$\mu = \frac{q\tau}{m^*}$$

$$m_e^* < m_h^* \text{ in general}$$

$$m_e^*; n\text{-type}$$

$$m_h^*; p\text{-type}$$