## COURSE: <br> THEORY OF AUTOMATA COIVIPUTATION

## Topics to be covered

- Mealy Machine
- Moore Machine


## A Moore Machine



## Definition of a Moore Machine

- A finite set of states
- $q_{0}, q_{1}, q_{2}$, etc.
- $\mathrm{q}_{0}$ is the start state
- Alphabet of input letters
- Alphabet of output letters
- Transitions
- A unique one for each letter and each state
- Output Table
- A letter for each state


## Moore Machine for aba



## Defining a Language

- To change a FA into a Moore machine which accepts the same language
- Name each state
- Name the Start state $q_{0}$
- Output 0 in all non-final states
- Output 1 in all Final states.
- A string is accepted if after it has been completed read in the last letter printed is 1.


## A Mealy Machine



| Q old | IN | Q $_{\text {new }}$ | OUT |
| :---: | :---: | :---: | :---: |
| $q_{0}$ | a | $q_{1}$ | 1 |
| $q_{0}$ | b | $q_{2}$ | 0 |
| $q_{1}$ | a | $q_{1}$ | 1 |
| $q_{1}$ | b | $q_{1}$ | 1 |
| $q_{2}$ | a | $q_{1}$ | 0 |
| $q_{2}$ | b | $q_{2}$ | 0 |

## Definition of a Mealy Machine

- A finite set of states
- $q_{0}, q_{1}, q_{2}$, etc.
- $\mathrm{q}_{0}$ is the start state
- Alphabet of input letters
- Alphabet of output letters
- Transitions
- A unique one for each letter and each state
- Each transition also has one output letter


## Equivalence of Machines

- Every Moore machine can be turned into a Mealy machine.
- Every Mealy machine can be turned into a Moore machine.
- Every regular language can be defined by Moore machine or a Mealy machine.
$\square$ All languages defined by a Moore machine or a Mealy machine are regular.

