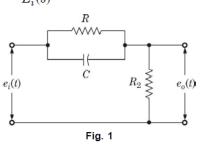
## **Dronacharya College of Engineering, Gurgaon** Department of Electronics & Computer Engineering

Subject: Control System Engineering (code: EC-611-F) Semester: VI **Class: ECS** 

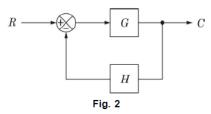
# **Important Questions**

### **Control Systems, Feedback and Modeling of Systems**

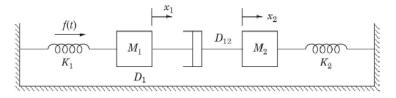
1. Derive the transfer function  $\frac{E_o(s)}{E_i(s)}$  of the network shown below.



2. Derive the closed loop transfer function  $\frac{C(s)}{R(s)} = M(s)$  for the system shown below and find its sensitivity w.r.t. G and H



3. Write the differential equation and obtain the (f - v) force voltage analogous networks for the system shown in fig.





- 4. Draw the block diagram of a closed loop control system and indicate the following on it. (i) plant (ii) command input (iii) controlled input (iv) actuating signal (v) feedback element and control element.
- 5. Explain difference between positive feedback and negative feedback.
- 6. What is need of a control system? Explain the different performance specifications, which the control system have to meet.
- 7. Distinguish with suitable example, between the open and closed loop control systems.
- 8. Define force-voltage analogy and force-current analogy translational mechanical system.
- 9. Compare open loop control system with closed loop control system.

10. Find the transfer function for the system whose block diagram representation is shown in Fig. 4.

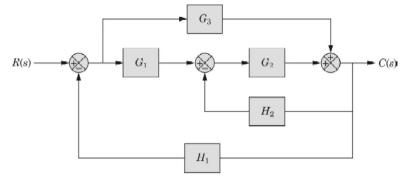
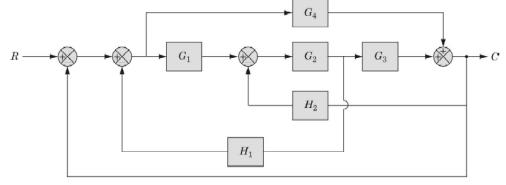


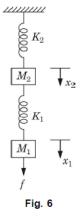
Fig. 4

- 11. What do you mean by feedback control system? Distinguish between an open loop system and closed loop system.
- 12. Find the transfer function for the system whose block diagram representation is shown in Fig. 5.



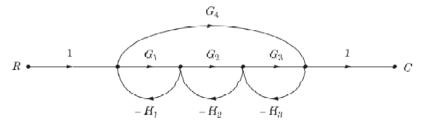


- 13. Discuss the effect of feedback on stability, noise and overall gain of system.
- 14. Draw the electrical analogy, using force current analogy of the mechanical system given in Fig. 6.



### Signal Flow Graphs and Components in Control System

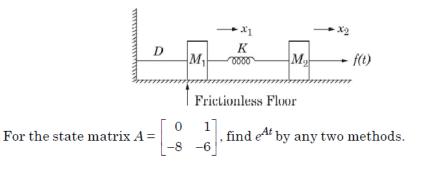
- 1. What is Mason's gain formula? Define each term therein.
- 2. From the signal flow graph given in Fig. 1, find the transfer fuction C/R using Mason's Gain Rule.



- Fig. 1
- Define the following:
   (I) Path (II) Forward path (III) Path Gain (IV) Loop (V) Non-touching loop.
- 4. Write notes on (I) Control valves (II) RTD (III) DC Tachometer generator.

## **State Variable Analysis**

1. Derive the state variable model for the system shown below:



2. Write a note on solving state equation.

- 3. What is meant by state transition matrix? List the three properties of state transition matrix.
- 4. Obtain the state model of the system whose transfer function is given by

$$T(s) = \frac{s^2 + 3s + 3}{s^3 + 2s^2 + 3s + 1}$$

and hence, find its state transition matrix.

5. Consider the system

$$\dot{x} = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix} X + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u, x(0) = \begin{bmatrix} 1 \\ 1 \end{bmatrix}$$

$$y = [10]x$$

- (i) Determine the stability of the system.
- (*ii*) Find the output response of the system to unit-step input.

Write the state equation for the non-homogeneous system and derive the equation for finding its solution.

- **6.** Closed loop transfer function of a system is given as  $T(s) = \frac{10(s+4)}{s(s+1)(s+3)}$  from a state variable model of the system. Is there a name for this form of state transition matrix?
- 7. (i) Define and state the physical significance of following terms:

Phase variables, state-space, eigen-value, conical variables, companion variables.

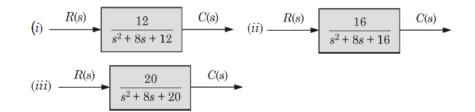
- (ii) Define and explain the controllability and observability with a suitable example.
- 8. Consider a single-input-single output control system having an overall transfer function T(S) given by

$$T(S) = \frac{s^2 + 4s + 4}{s^3 + 5s^2 + 4s}$$

Represents the system state model in terms of the canonical variables and determine a set of coefficients matrix A, B, C.

#### **Time Domain Analysis of Control Systems**

 Define natural frequency of oscillation wn and damping ratio ξ of a second order system. find the nature for the following system:



2. Find the damping factor  $\xi$ , natural frequency wn, peak time  $T_p$  and percentage overstrict for the system with

$$G(s) = \frac{1}{9s^2 + 2s + 58}$$

Draw its pole, zero locations.

3. A closed loop servo is represented by the differential equation.

$$\frac{d^2c}{dt^2} + \frac{8dc}{dt} = 64 \ e$$

where c is the displacement of the output shaft, r is the displacement of the input shaft and e = r - c determine.

- (i) damping ratio
- (ii) damped natural frequency
- (*iii*) %  $M_p$  for unit step input.
- 4. (i) Define the following terms time delay, rise time, settling time, peak overshoot.

(*ii*) Find the response as 't' approaching infinity of a system having transfer function  $\frac{C(s)}{R(s)} = \frac{8}{s(s+4)}$ 

to unit step input.

- 5. A servomechanism is characterized by the differential equation  $\frac{d^2c}{dt^2} + 6.4 \frac{dc}{dt} + 160 (0.4c r)$  find the value of damping ratio. What information does this convey about the transient performance.
- 6. Define the following:

(I) Peak overshoot (II) Settling time (III) Rise time.

7. Derive expressions for peak overshoot for the second order control system.

8. Measurement conducted on a servomechanism show the system response to be  $C(t) = 1 + 0.2e^{-60}t - 1.2e^{-10}t$ where while the service the service for the select blue transformer.

when subjected to a unit step input. Obtain the expression for the closed loop transfer function.

### **Stability of Linear Control Systems**

- 1. The characteristic polynomial of a system is  $s^7 + 9s^6 + 24s^5 + 24s^3 + 24s^2 + 23s + 15 = 0$ . Determine the location of roots on *s*-plane and hence the stability of the system.
- 2. A feedback system has open-loop transfer function of  $G(s) = \frac{K e^{-s}}{s(s^2 + 5s + 9)}$ . Determine the maximum

value of k for stability of closed loop system.

3. Determine the range of k for stability of unity feedback system whose open loop transfer function is

$$G(s) = \frac{K}{s(s+1)(s+2)}$$

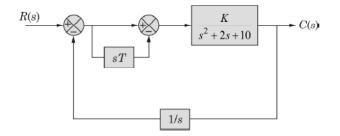
4. Determine whether the largest time constant of the characteristic equation given below is greater than less than or equal to 1.0 sec:

$$s^2 + 4s^2 + 6s + 4 = 0$$

5. Determine the range of values of K such that the characteristic equation:

$$s^{3} + 3(K+1)s^{2} + (7K+5)s + (4K+7) = 0.$$

- State the Routh stability criterion. Discuss its advantages over Hurwithz stability criterion. Also
  discuss relative stability concept.
- 7. Examine the stability of the system having characteristic equation  $s^5 + s^4 + 3s^3 + 2s^2 + 4s + 8 = 0$ .
- 8. Find the characteristic equation of the system shown in Fig.



# **Basics of Frequency Domain Analysis**

- 1. Define and explain various frequency domain specifications with relevant expression.
- 2. Establish correlation between frequency domain response and time domain response.
- 3. Discuss the concept of stability for bounded input bounded output continous data systems. Also explain the concept of relative stability.
- 4. Determine the frequency domain specifications for a second order system with unity feedback and

$$G(s) = \frac{225}{s(s+6)}$$

### **Stability Analysis Using Bode Plots**

1. Discuss the general procedure of determination of transfer function from Bode plot.

2. State the Bode plot magnitude Curve characteristics of a type 1 system.

$$G(jw) = \frac{K_1}{j\omega((1+j\omega T_1))}$$

- 3. Define Gain margin, phase margin, gain cross-over frequency, phase Gross-over
- 4. The open loop transfer function of a control system is

$$G(s)H(s) = \frac{1}{s(1+0.5s)(1+2s)}$$

- 1. Plot a Bode diagram for the given open loop transfer function.
- 2. Determine the appropriate value of gain and phase margin.
- 5. Write a note on Bode pole. How does it help in system design?
- 6. Discuss the effect of adding a zero to a system.
- 7. Define the following:

(I) Resonant peak (II) Gain margin (III) Phase margin.

8. Sketch the Bode plot for the system having

$$G(s) H(s) = \frac{20}{s (0.1s+1)}$$

- 9. Discuss the concept of stability for bounded input bounded output continuous data systems. Also explain the concept of relative
- 10. Determine the frequency domain specifications for a second order system with unity feedback and

$$G(s) = \frac{225}{s(s+6)}$$

11. A unity feedback control system has

$$G(s) = \frac{400(s+2)}{s^2 (s+5)(s+10)}$$

Draw the Bode plot.

12. A unity feedback control system has

$$G(s) = \frac{k}{s(s+4)(s+10)}$$

Draw the Bode plot. Find k when  $P.M. = 30^{\circ}$