## Compiler Design

## Lecture-10

## State transition and Shift-Reduce Conflicts

## Topics Covered

State Transitions

Building Table of States \& Transitions Shift/Reduce Conflicts

## State Transitions

Given set of items, compute new state(s) for each symbol (terminal and non-terminal) after dot

- state transitions correspond to shift actions

New item derived from old item by shifting dot over symbol

- do closure to compute new state Initial state (1):

```
S' ::= . S $ S ::= . beep S ::= .{ L }
```

- State (2) reached on transition that shifts $S$ :

```
S' ::= S . $
```

- State (3) reached on transition that shifts beep:

```
S ::= beep .
```

- State (4) reached on transition that shifts $\left\{:_{S}::=\{\right.$. L $\}$

L ::= . S
L :: . . L ; S
S ::= . beep
S ::= . \{ L \}

## Accepting Transitions

If state has $S^{\prime \prime}::=\ldots$. $\$$ item, then add transition labeled\$ to the accept action

Example:
$S^{\prime}::=\mathrm{S}$. \$
has transition labeled \$ to accept action

## Reducing States

If state has 1 hs $::=$ rhs . item, then it has a reduce his ::= rhs action

Example:

```
S ::= beep .
```

has reduce $S$ : : = beep action

No label; this state always reduces this production

- what if other items in this state shift, or accept?
- what if other items in this state reduce differently?


## Rest of the States, Part 1

State (4): if shift beep, goto State (3) State (4): if shift \{, State (4): if shift S, State (4): if shift L, goto State (4) goto State (5) goto State (6)

State (5):
L : : = S .

State (6):

$$
\begin{aligned}
& S::=\{\text { L } \quad \text { \} } \\
& \mathrm{L}::=\mathrm{L} .
\end{aligned}
$$

State (6): if shift \}, State (6): if shift ;
goto State (7)
goto State (8)

## Rest of the States (Part 2)

State (7):

```
S ::= { L } .
```

State (8):
L : := L ; . S
S ::= . beep
S : : = . \{ L \}
State (8): if shift beep,
State (8): if shift \{,
State (8): if shift S,
goto State (3)
goto State (4)
goto State (9)
State (9):
L : : = L S .
(whew)

## LR(0) State Diagram



## Building Table of States \& Transitions

Create a row for each state
Create a column for each terminal, non-terminal, and \$
For every "state (i): if shift $X$ goto state ( $)$ " transition:

- if $X$ is a terminal, put "shift, goto $\jmath$ " action in row $i$, column $X$
- if $X$ is a non-terminal, put "goto $j$ " action in row $i$, column $X$
For every "state (i): if \$ accept" transition:
- put "accept" action in row $i$, column $\$$

For every "state (i): lhs $::=$ rhs." action:

- put "reduce lhs : : = rhs" action in all columns of row $i$


## Table of This Grammar

| State | \{ | \} | beep | ; | S | L | \$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | s,g4 |  | s,g3 |  | g2 |  |  |
| 2 |  |  |  |  |  |  | a! |
| 3 | reduce S : $=$ beep |  |  |  |  |  |  |
| 4 | s,g4 |  | s,g3 |  | g5 | g6 |  |
| 5 | reduce L : : = S |  |  |  |  |  |  |
| 6 |  | s,g7 |  | s,g8 |  |  |  |
| 7 | reduce S : : = \{ L \} |  |  |  |  |  |  |
| 8 | s,g4 |  | s,g3 |  | g9 |  |  |
| 9 | reduce L : := L ; S |  |  |  |  |  |  |

## Example

```
S': := S $
S ::= beep | { L }
L ::= S | L ; S
```

| St | \{ | \} | beep | ; | S | L | \$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | s,g4 |  | s,g3 |  | g2 |  |  |
| 2 |  |  |  |  |  |  | a! |
| 3 | reduce S : := beep |  |  |  |  |  |  |
| 4 | s,g4 |  | s,g3 |  | g5 | g6 |  |
| 5 | reduce L : := S |  |  |  |  |  |  |
| 6 |  | s,g7 |  | s,g8 |  |  |  |
| 7 | reduce S : := \{ L \} |  |  |  |  |  |  |
| 8 | s,g4 |  | s,g3 |  | g9 |  |  |
| 9 | reduce L : : = L ; S |  |  |  |  |  |  |

```
1
\{ 4
4 beep 3
    4 S 5
    4 L 6
    4L6;8
    4 L6;8\{4
    \{ \(4 L 6 ; 8\{4\) beep 3
    \(\left\{\begin{array}{l}4 \\ \text { L } 6 ; 8\{4 S 5\end{array}\right.\)
\(1\left\{\begin{array}{l}4 \\ \$\end{array} 6 ; 8\{4 L 6\right.\)
1 \{ 4L6;8\{4L6\}7
1\{4L6;8S 9
1 4 L 6
\(\left.1 S_{\$} 4 L 6\right\} 7\)
\(1 S_{\$}\)
accept
```

    \{ beep ; \{ beep \} \}
        beep
        beep
        beep
        beep
    beep \(\}\) \} \(\}\)
        \} \}
    \}\}

## Problems In Shift-Reduce

Parsing
Can write grammars that cannot be handled with shift-reduce parsing

Shift/reduce conflict:

- state has both shift action(s) and reduce actions

Reduce/reduce conflict:

- state has more than one reduce action


## Shift/Reduce Conflicts

LR(0) example:
$\mathrm{E}::=\mathrm{E}+\mathrm{T} \mid \mathrm{T}$
State: e : : = е . + T E : : = T .

- Can shift +
- Can reduce E : : = T

LR(k) example:
$S::=$ if $E$ then $S$ | if $E$ then $S$ else $S \mid \ldots$
State: s : := if e then $S$. $S::=$ if $E$ then $S$. else $S$

- Can shift else
- Can reduce $S::=$ if $E$ then $S$

Avoiding Shift-Reduce
Conflicts
Can rewrite grammar to remove conflict

- E.g. Matched Stmt vs. Unmatched Stmt
Can resolve in favor of shift action
- try to find longest r.h.s. before reducing works well in practice
yacc, jflex, et al. do this


## Reduce/Reduce Conflicts

## Example:

$$
\begin{aligned}
& \text { Stmt }::=\text { Type id ; } \mid \text { LHS }=\text { Expr ; | .. } \\
& \ldots \\
& \text { LHS }::=\text { id | LHS [ Expr ] | ... } \\
& \ldots \\
& \text { Type }::=\text { id | Type [] | ... }
\end{aligned}
$$

State: тype : := id .
LHS : := id .

Can reduce туре : : $_{\text {: }}$ id
Can reduce ins : := id

## Avoid Reduce/Reduce

Conflicts
Can rewrite grammar to remove conflict

- can be hard
- e.g. C/C++ declaration vs. expression problem
- e.g. MiniJava array declaration vs. array store problem
Can resolve in favor of one of the reduce actions
- but which?
- yacc, jflex, et al. Pick reduce action for production listed textually first in specification

