

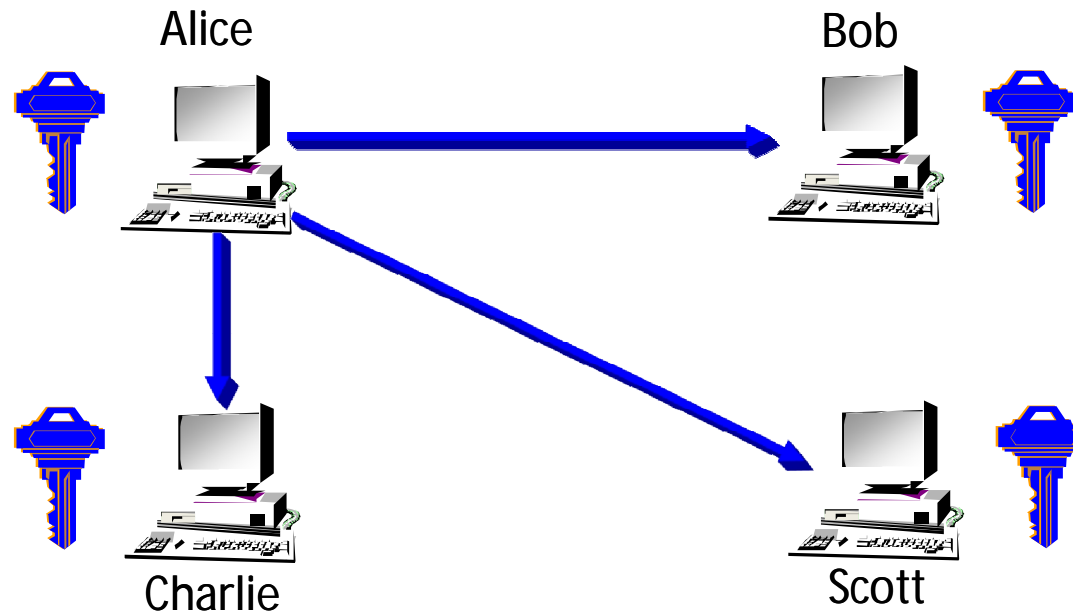
# WEP Attacks

- Initial connection sniffing
- IV Reuse
  - Look for IV collisions
  - Some APs reset IV to 0 each time system is (re)initialized
  - IV Dictionary Attacks
- Injection attacks with known plaintext
- Wi-fi Protected Access / 802.11i

# IV Reuse Occurrences

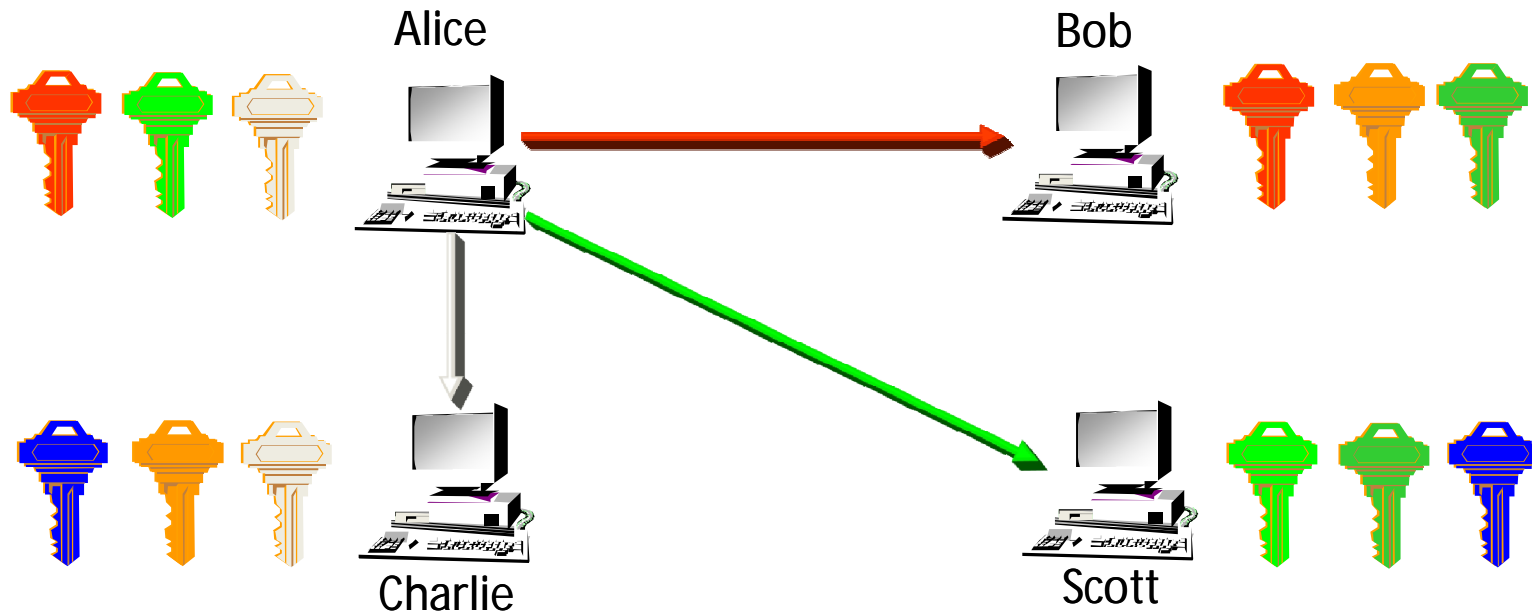
- 1% after 582 encrypted frames
- 10% after 1,881 encrypted frames
- 50% after 4,823 encrypted frames
- 99% after 12,430 encrypted frames

# Shared Secret Key Distribution



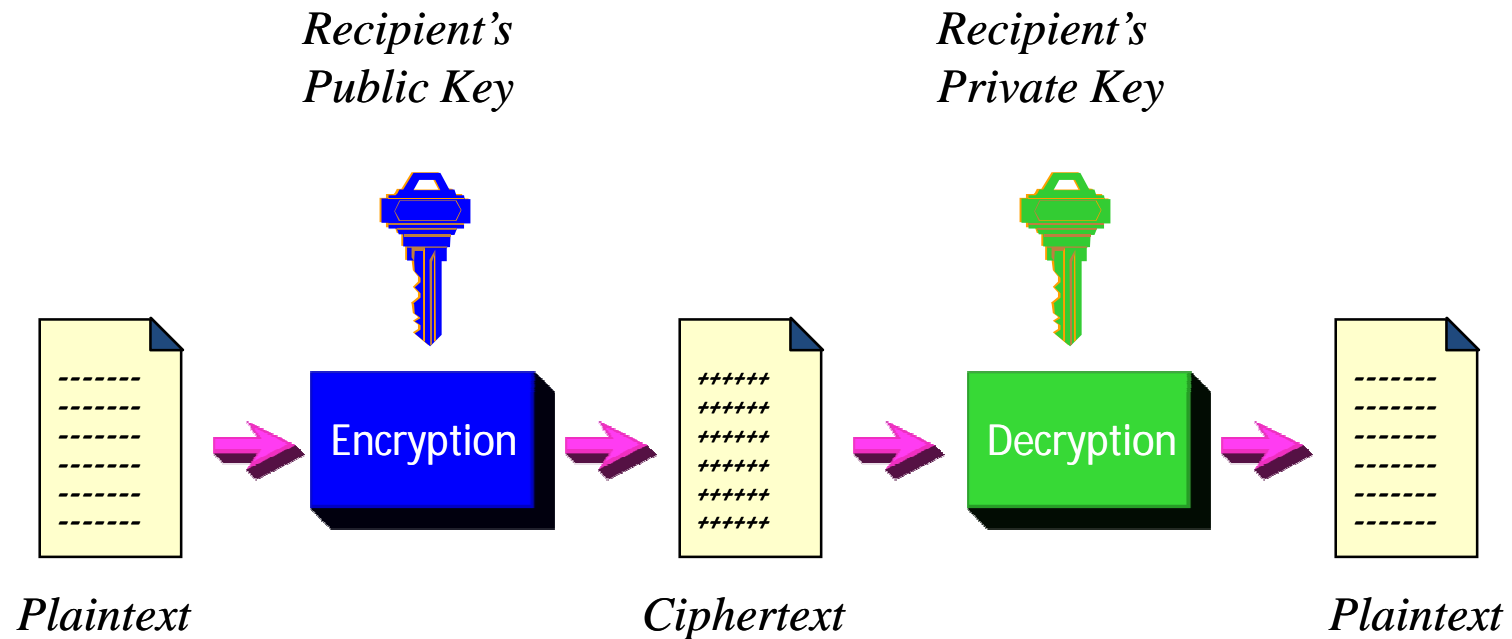
- How does Alice distribute the key?
- What happens if Scott leaves?

# Secret Key Pairs



# of Keys =  $n * (n - 1) / 2$   
*Where  $n$  is the # of users*

# Asymmetric Key Encryption



# PKE Algorithm Components

- One or more Prime Numbers
- Large integer factoring
- Modular arithmetic
- Big integer exponentiation
- Example Algorithms
  - Rivest-Shivar-Adelman (RSA)
  - Diffie-Hellman Key Exchange

# RSA Public Key Encryption

- Developed by MIT professors Ron Rivest, Adi Shamir and Len Adleman (1977)
- Message blocks treated as a large number less than some number  $n$
- Block size  $2^k$  bits  $\Leftrightarrow 2^k < n < 2^{k+1}$
- Relies on:
  - Large prime numbers
  - Large number factoring
  - Modular arithmetic

# RSA Key Generation

- Select 2 prime numbers,  $p$  and  $q$
- Let  $n = p * q$
- Let  $\phi(n) = (p - 1)(q - 1)$
- Pick  $e$  that is *relatively prime* to  $\phi(n)$
- Find  $d \Leftrightarrow d = e^{-1} \text{ mod } \phi(n) \Leftrightarrow de = 1 \text{ mod } \phi(n)$
- Generated keys:
  - Public:  $e$  &  $n$
  - Private:  $d$  &  $n$



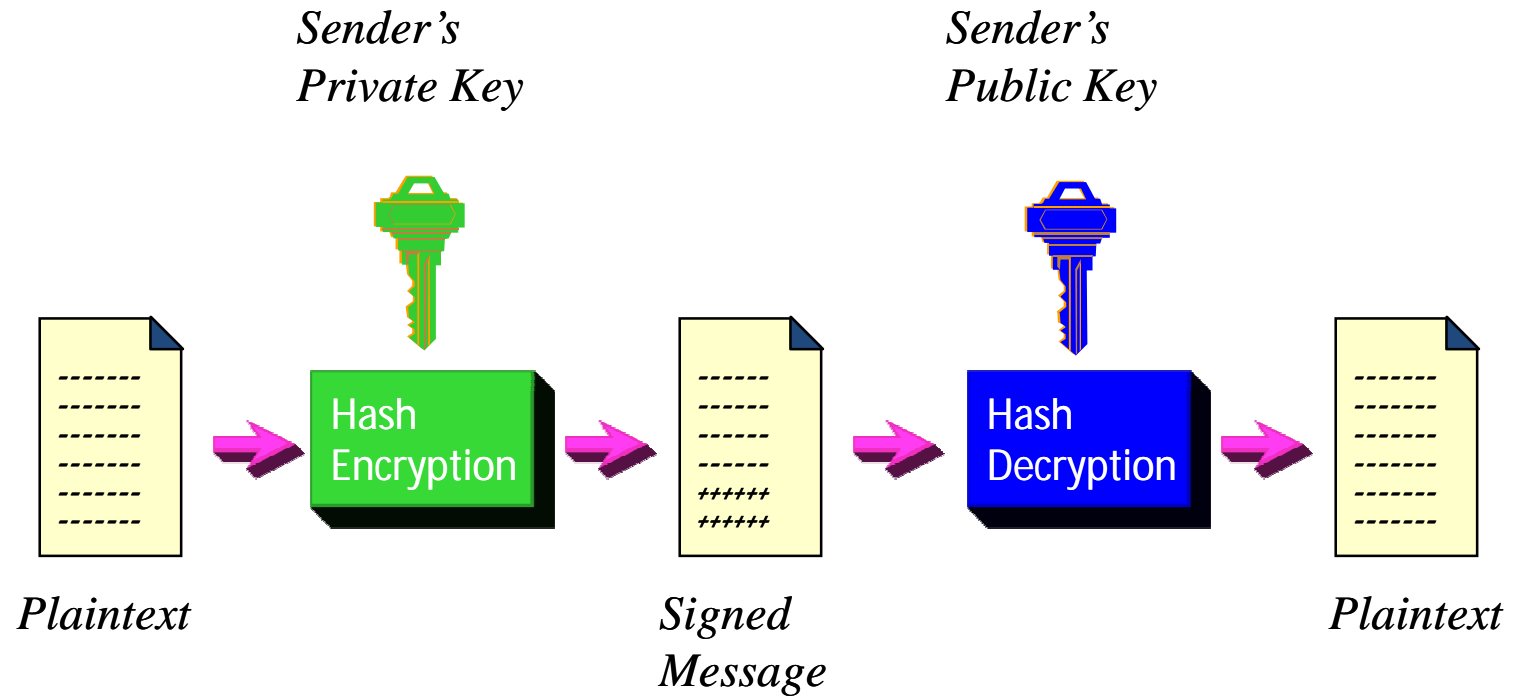
# RSA Encryption & Decryption

- Encryption:
  - Break message into  $M$  sized blocks  $< n$
  - Cipher  $C = M^e \text{ mod } n$
- Decryption:
  - Message  $M = C^d \text{ mod } n$

# RSA Example

- Key Generation:
  - Let  $p = 5$  and  $q = 11$
  - $N = 5 * 11 = 55$
  - $\phi(n) = (5 - 1)(11 - 1) = 40$
  - Let  $e = 3$
  - Find  $d \Leftrightarrow 3d = 1 \pmod{40}; d = 27$
- Encrypt  $M = 5 \Leftrightarrow C = 5^3 \pmod{55} = 15$
- Decrypt  $C \Leftrightarrow M = 15^{27} \pmod{55} = 5$

# Digital Signatures



# One-Way Encryption

- Encryption function has no inverse
- Referred to as Hashes or Checksums
- Uses
  - Authentication Systems
  - File Integrity Checkers
  - Message Digests

# Hash Functions

- Accept messages of *any* size and generated a small, fixed size output
- One way function
- Easy and fast to calculate
- Collision Resistant

# XOR Example

- Break message into fixed length blocks
- XOR first element of all blocks
- Repeat for all elements

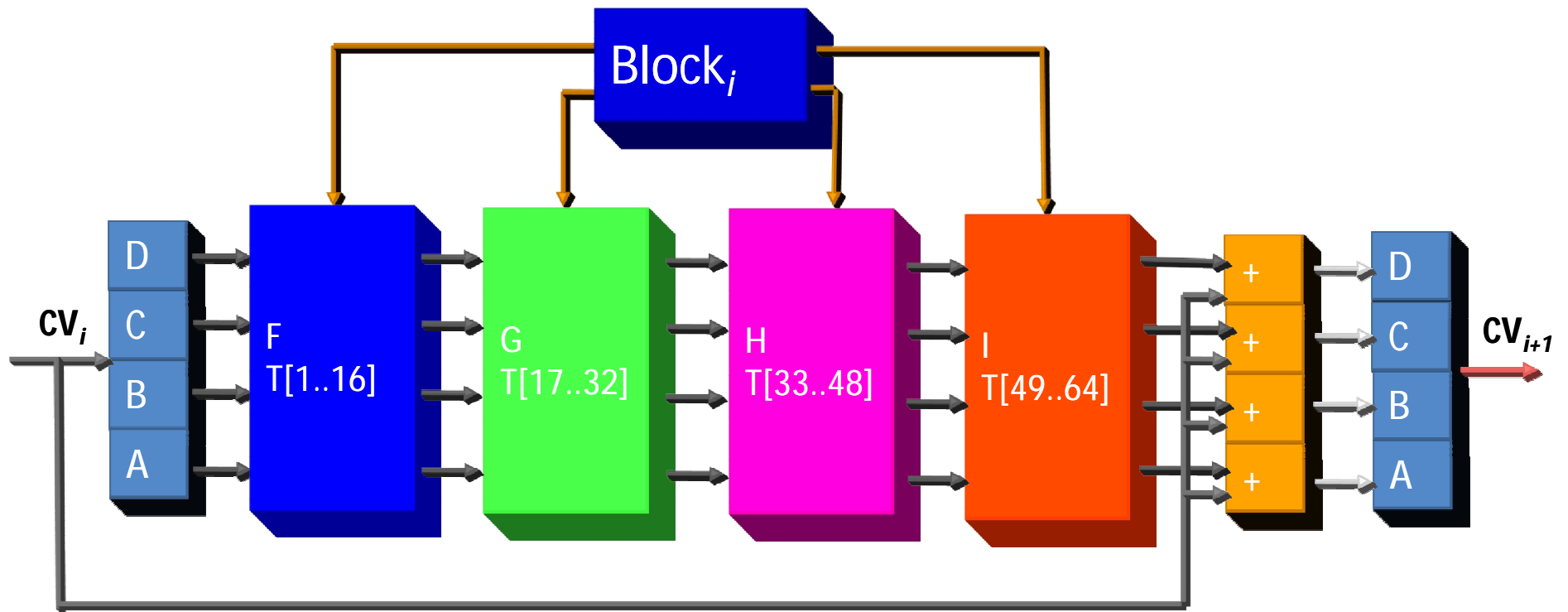
G	0100	0111
o	0110	1111
n	0110	1110
o	0110	1111
w	0110	0111
<hr/>		
	0101	1110
	5	E

*Not very collision resistant!!!*

# MD5 Hash

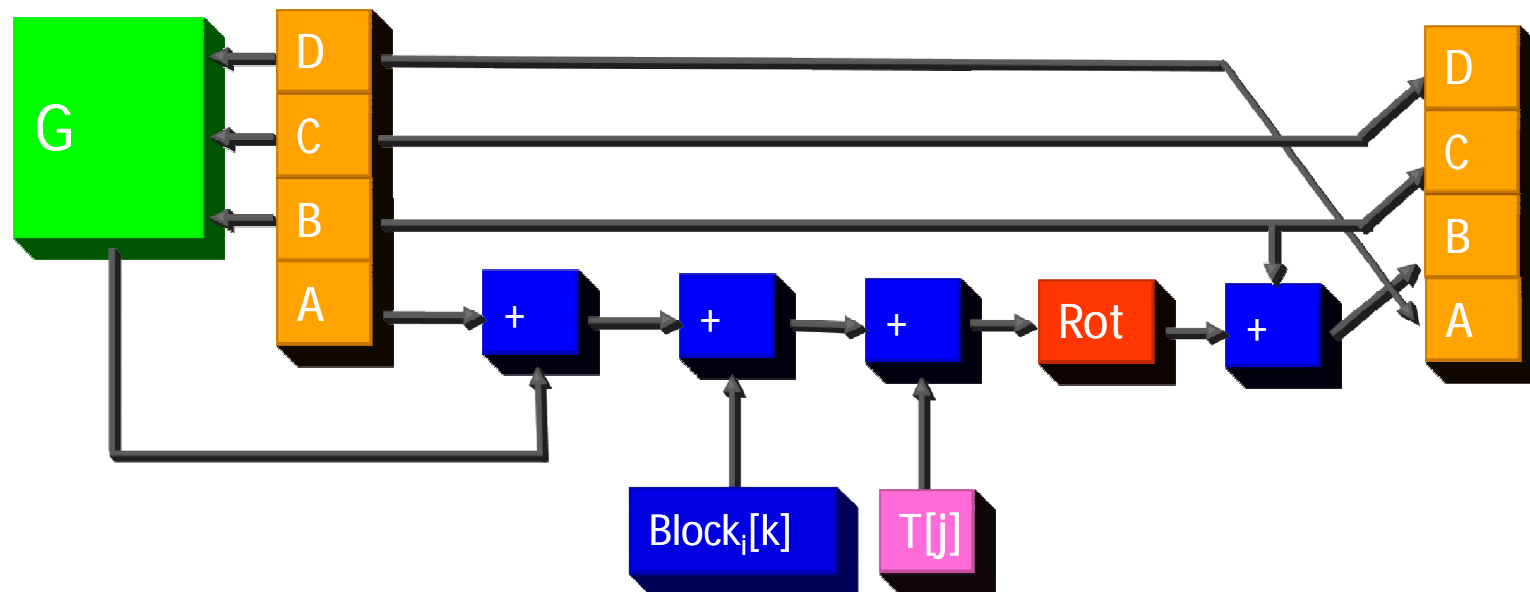
- Developed by Ron Rivest
- Generates a 128-bit hash
- Initialization
  - Pad message (1 followed by  $n$  0s) such that the message size is  $448 \bmod 512$
  - (message size)  $\bmod 2^{64}$  appended to message as 64-bit number
  - 4 32-bit registers used store intermediate and final results
  - 512-bit message block processed in 4 rounds, each consisting of 16 stages

# MD5 Rounds





# MD5 Stage



# Diffie-Hellman Key Exchange

- Bob and Alice together select a prime number,  $p$ , and a base,  $g$
- Alice:
  - Selects secret number  $a$
  - Sends Bob  $g^a \bmod p$
- Bob:
  - Selects secret number  $b$
  - Sends Alice  $g^b \bmod p$
- Shared secret:  $k$ 
  - $k = (g^a \bmod p)^b \bmod p = (g^b \bmod p)^a \bmod p$
  - Used as key in symmetric cryptography algorithm